COMP 322: Fundamentals of Parallel Programming

Lecture 17: Pipeline Parallelism, Signal Statement, Fuzzy Barriers

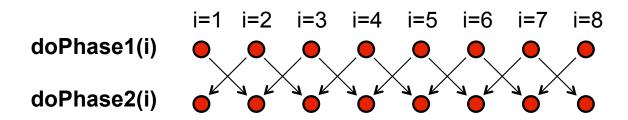
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Solution to Worksheet #16: Left-Right Neighbor Synchronization using Phasers



Complete the phased clause below to implement the left-right neighbor synchronization shown above.

```
1. finish (() -> {
  final HjPhaser[] ph =
2.
         new HjPhaser[m+2]; // array of phaser objects
     forseq(0, m+1, (i) -> { ph[i] = newPhaser(SIG_WAIT) });
3.
4.
     forseq(1, m, (i) \rightarrow {
5.
       asyncPhased(
          ph[i-1].inMode(WAIT),
          ph[i].inMode(SIG),
          ph[i+1].inMode(WAIT), () -> {
6.
        doPhase1(i);
7.
        next();
        doPhase2(i); }); // asyncPhased
     }); // forseq
10.}); // finish
```

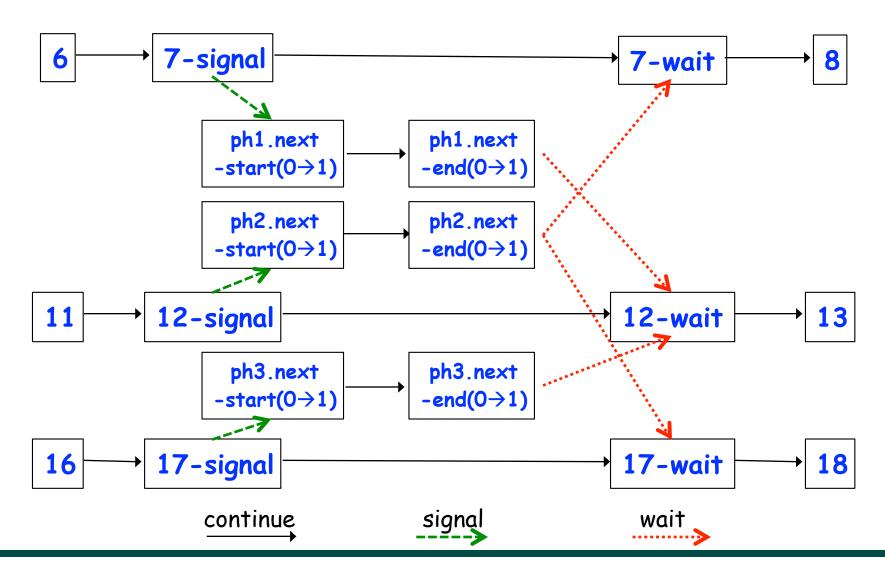


Left-Right Neighbor Synchronization (restricted to m=3)

```
1.finish(() \rightarrow { // Task-0}
2.
     final HjPhaser ph1 = newPhaser(SIG WAIT);
3.
     final HjPhaser ph2 = newPhaser(SIG WAIT);
4.
     final HjPhaser ph3 = newPhaser(SIG WAIT);
5.
     asyncPhased(ph1.inMode(SIG),ph2.inMode(WAIT),
        () -> { doPhase1(1);
6.
7.
          next(); // signals ph1, waits on ph2
8.
          doPhase2(1);
9.
     }); // Task T1
10.
     asyncPhased(ph2.inMode(SIG),ph1.inMode(WAIT),ph3.inMode(WAIT),
11.
       () -> { doPhase1(2);
12.
          next(); // signals ph2, waits on ph3
13.
          doPhase2(2);
14.
      }); // Task T2
15.
      asyncPhased(ph3.inMode(SIG),ph2.inMode(WAIT),
16.
        () -> { doPhase1(3);
17.
          next(); // signals ph3, waits on ph2
18.
          doPhase2(3);
19.
      }); // Task T3
20.}); // finish
```

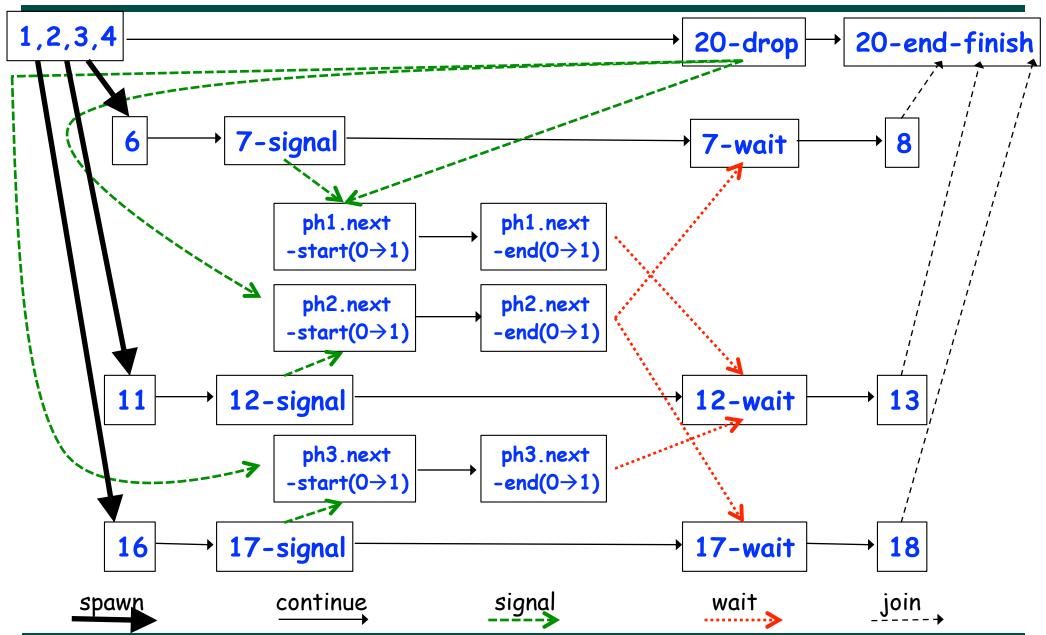


Computation Graph for m=3 example (without async-finish nodes and edges)





Computation Graph for m=3 example (with async-finish nodes and edges)





Medical imaging pipeline

reconstruction

denoising

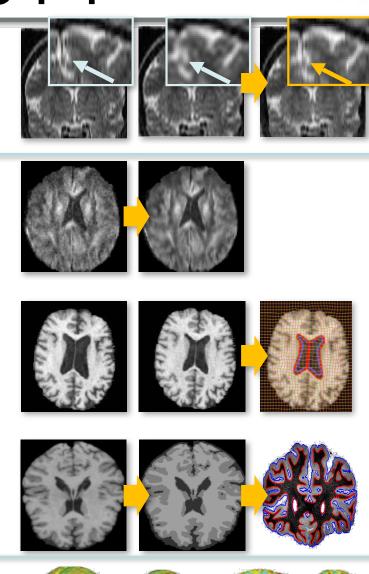
registration

segmentation

analysis



- New reconstruction methods
 - decrease radiation exposure (CT)
 - number of samples (MR)
- 3D/4D image analysis pipeline
 - Denoising
 - Registration
 - Segmentation
- Analysis
 - Real-time quantitative cancer assessment applications
- Potential:
 - order-of-magnitude performance improvement
 - power efficiency improvements
 - real-time clinical applications and simulations using patient imaging data



Pipeline Parallelism: Another Example of Point-to-point Synchronization



- Medical imaging pipeline with three stages
 - 1. Denoising stage generates a sequence of results, one per image.
 - 2. Registration stage's input is Denoising stage's output.
 - 3. Segmentation stage's input is Registration stage's output.
- Even though the processing is sequential for a single image, pipeline parallelism can be exploited via point-to-point synchronization between neighboring stages



General structure of a One-Dimensional Pipeline

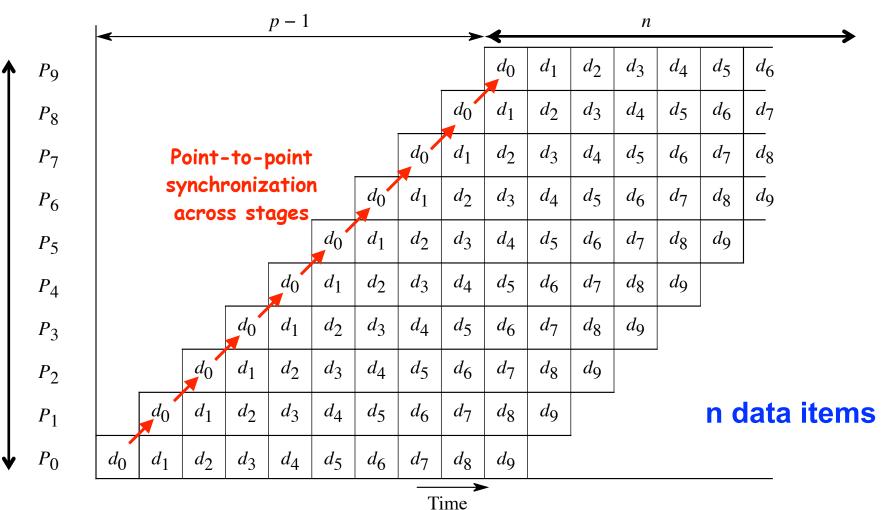
Input sequence $d_9d_8d_7d_6d_5d_4d_3d_2d_1d_0 \rightarrow P_0 \rightarrow P_1 \rightarrow P_2 \rightarrow P_3 \rightarrow P_4 \rightarrow P_5 \rightarrow P_6 \rightarrow P_7 \rightarrow P_8 \rightarrow P_9$

• Assuming that the inputs d_0 , d_1 , . . . arrive sequentially, pipeline parallelism can be exploited by enabling task (stage) P_i to work on item d_{k-i} when task (stage) P_0 is working on item d_k .



p pipeline stages (tasks)

Timing Diagram for One-Dimensional Pipeline



 Horizontal axis shows progress of time from left to right, and vertical axis shows which data item is being processed by which pipeline stage at a given time.



Complexity Analysis of One-Dimensional Pipeline

Assume

- n = number of items in input sequence
- p = number of pipeline stages
- each stage takes 1 unit of time to process a single data item
- WORK = n×p is the total work for all data items
- CPL = n + p − 1 is the critical path length of the pipeline
- Ideal parallelism, PAR = WORK/CPL = np/(n + p − 1)
- Boundary cases

$$-p = 1 \rightarrow PAR = n/(n + 1 - 1) = 1$$

$$-n = 1 \rightarrow PAR = p/(1 + p - 1) = 1$$

— n = p → PAR =
$$p/(2 - 1/p) \approx p/2$$

$$-n \gg p$$
 → PAR $\approx p$



Producer-Consumer pattern with phasers (used for implementing pipeline parallelism)

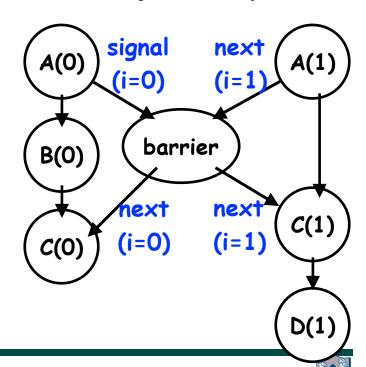
```
1. asyncPhased(ph.inMode(SIG), () -> {
      for (int i = 0; i < rounds; i++) {
2.
          buffer.insert(...);
3.
4.
         // producer can go ahead as they are in SIG mode
5.
  next();
6. }
7. });
8.
9.asyncPhased(ph.inMode(WAIT), () -> {
   for (int i = 0; i < rounds; i++) {
10.
         next();
11.
12.
         buffer.remove(...);
13. }
14. });
```



Signal statement & Fuzzy barriers

- When a task T performs a signal operation, it notifies all the phasers it is registered on that it has completed all the work expected by other tasks ("shared" work) in the current phase.
- Later, when T performs a next operation, the next degenerates to a wait since a signal has already been performed in the current phase.
- The execution of "local work" between signal and next is overlapped with the phase transition (referred to as a "split-phase barrier" or "fuzzy barrier")

```
1. forall (point[i] : [0:1]) {
2. A(i); // Phase 0
3. if (i==0) { signal; B(i); }
4. next; // Barrier
5. C(i); // Phase 1
6. if (i==1) { D(i); }
7. }
```

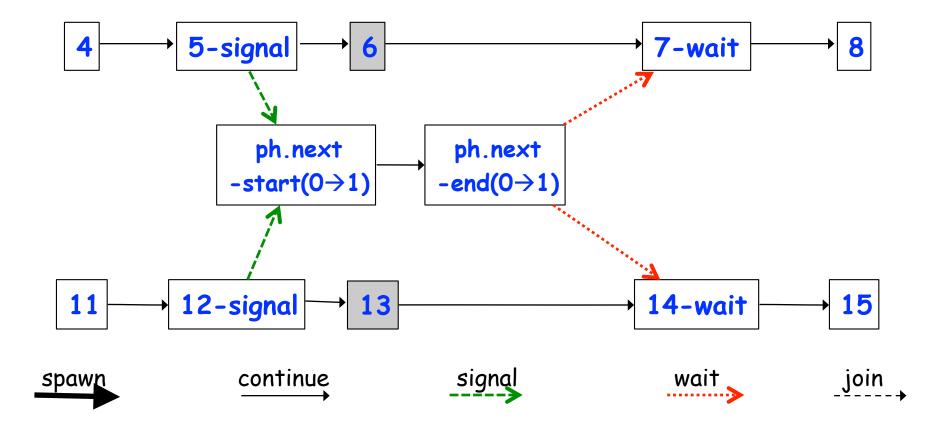


Another Example of a Split-Phase Barrier using the Signal Statement

```
1.finish(() -> {
   final HjPhaser ph = newPhaser(SIG WAIT);
3. asyncPhased(ph.inMode(SIG_WAIT), () -> { // Task T1
4.
     a = \dots; // Shared work in phase 0
5. signal(); // Signal completion of a's computation
6. b = \dots; // Local work in phase 0
7. next(); // Barrier -- wait for T2 to compute x
8. b = f(b,x); // Use x computed by T2 in phase 0
9. });
10. asyncPhased(ph.inMode(SIG_WAIT), () -> { // Task T2
11. x = ...; // Shared work in phase 0
12. signal(); // Signal completion of x's computation
13. y = \dots; // Local work in phase 0
14. next(); // Barrier -- wait for T1 to compute a
15. y = f(y,a); // Use a computed by T1 in phase 0
16. });
17.}); // finish
```

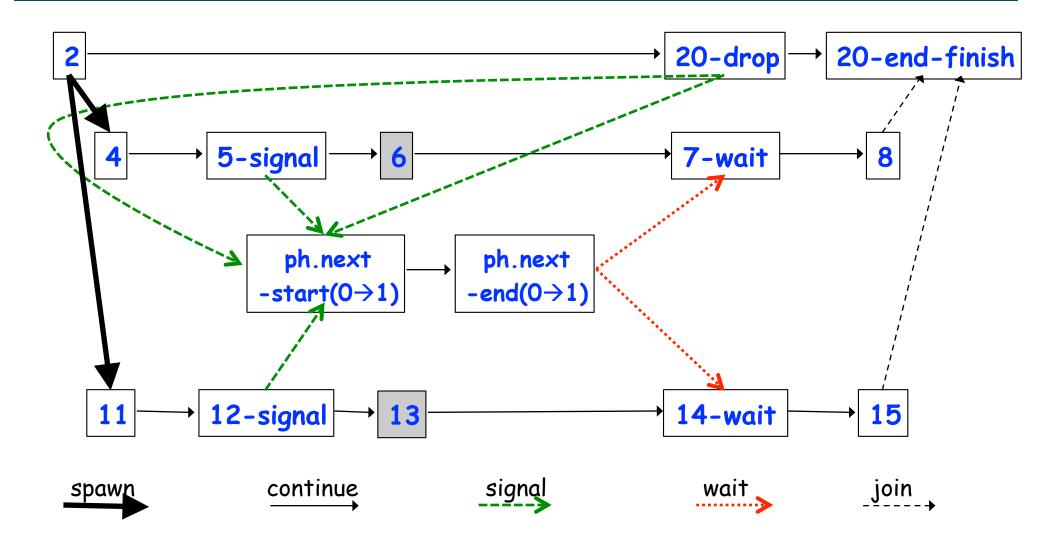


Computation Graph for Split-Phase Barrier Example (without async-finish nodes and edges)





Full Computation Graph for Split-Phase Barrier Example (Figure 52)





Announcements

- Take-home midterm exam (Exam 1) will be given after lecture on Wednesday, February 25, 2015
 - Closed-book, closed computer, written exam that can be taken in any 2-hour duration during that period
 - Will need to be returned to Bel Martinez (Duncan Hall 3122) by 4pm on Friday, February 27, 2015
 - Exam can also be picked up from Bel Martinez starting 2pm on Feb 25th if you're unable to attend lecture.
 - No lecture on Friday, Feb 27th
- Homework 3 is due by by 5:00pm on Friday, March 13, 2015
 - Programming assignment is more challenging than in previous homeworks --- start early!



Scope of Midterm Exam

- Midterm exam will cover material from Lectures 1 18
 - —Lecture 19 (Feb 25th) will be a Midterm review
- Excerpts from midterm exam instructions
 - —"closed-book, closed-notes, closed-computer"
 - —"Record start time when you open the exam, and end time when you finish. The total duration must be at most 2 hours."
 - —"Since this is a written exam and not a programming assignment, syntactic errors in program text will not be penalized (e.g., missing semicolons, incorrect spelling of keywords, etc) so long as the meaning of your solution is unambiguous."
 - —"If you believe there is any ambiguity or inconsistency in a question, you should state the ambiguity or inconsistency that you see, as well as any assumptions that you make to resolve it."

