## Worksheet: One-dimensional Iterative Averaging Example

1) Assuming $n=9$ and the input array below, perform a "half-iteration" of the iterative averaging example by only filling in the blanks for odd values of j in the myNew[] array (different from the real algorithm). Recall that the computation is "myNew[j] = (myVal[j-1] + myVal[j+1])/2.0;"

| index, j | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| myVal | 0 | 0 | 0.2 | 0 | 0.4 | 0 | 0.6 | 0 | 0.8 | 0 | 1 |
| myNew | 0 | 0.1 | 0.2 | 0.3 | 0.4 | 0.5 | 0.6 | 0.7 | 0.8 | 0.9 | 1 |

2) Will the contents of myVal[] and myNew[] change in further iterations?

No, this represents the converged value (equilibrium/fixpoint).
3) Write the formula for the final value of myNew[i] as a function of $i$ and $n$. In general, this is the value that we will get if $m$ (= \#iterations in sequential for-iter loop) is large enough.
After a sufficiently large number of iterations, the iterated averaging code will converge with myNew[i] $=\operatorname{myVal}[i]=\mathrm{i} /(n+1)$

