

COMP 322: Parallel and Concurrent Programming

Lecture 11: Scheduling

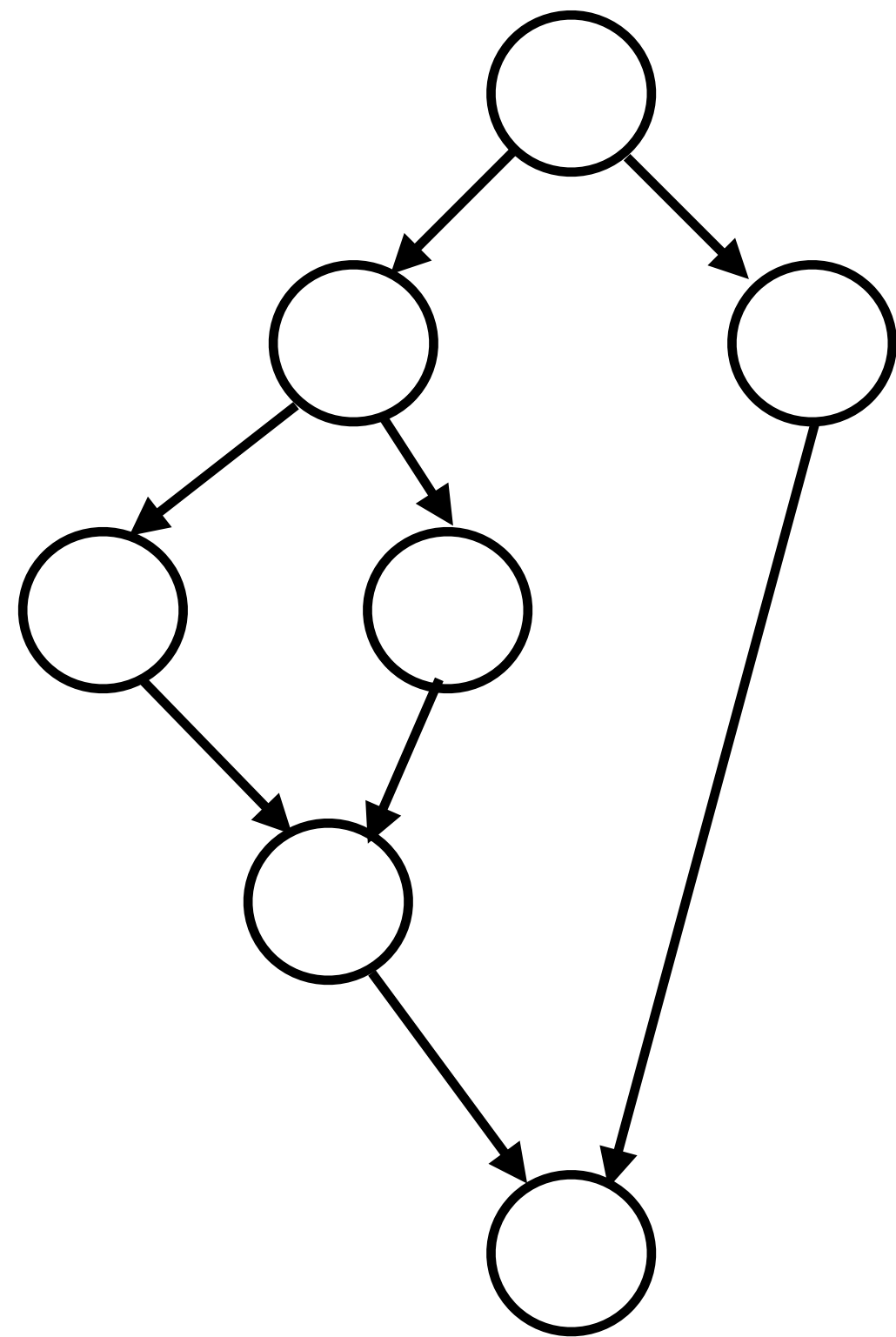
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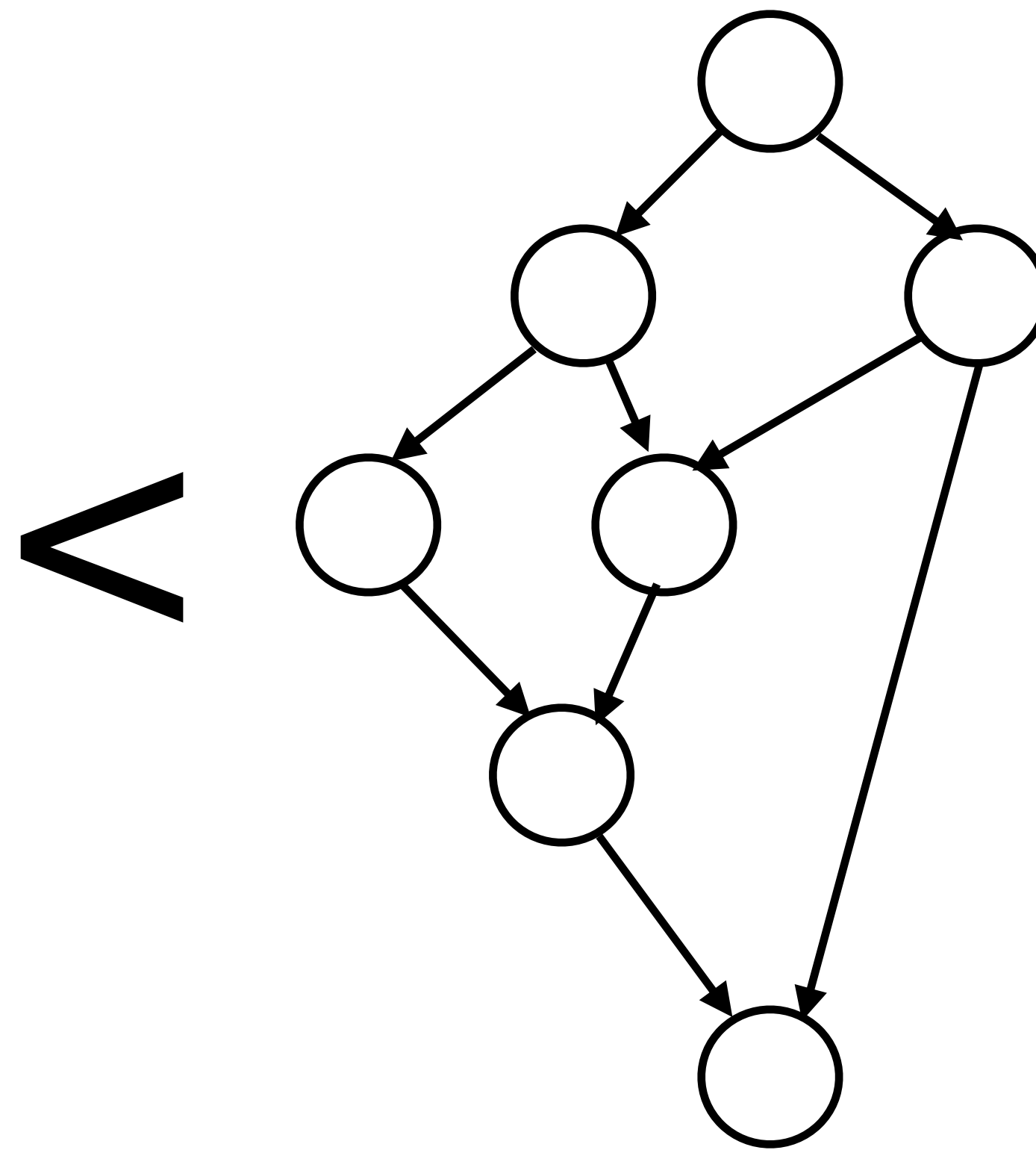


Computation Graphs

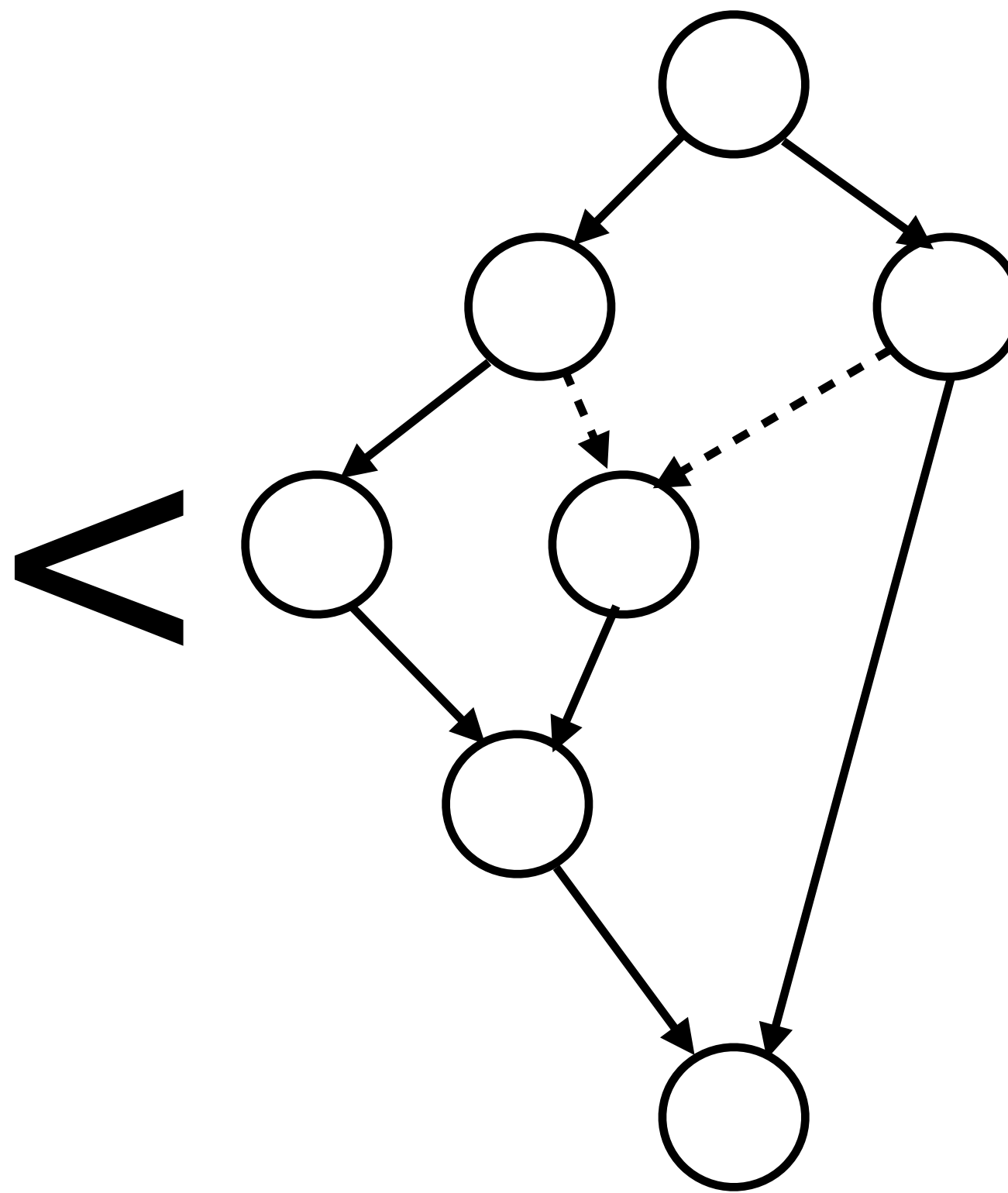
Structured Parallelism
(Finish/async)



Futures and Future Tasks



Promises and Data-Driven Tasks



Computation Graphs

- Structured parallelism (finish/async):
 - Create structured graphs (similar to what structured programming can create)
 - No high-level data representation: have to share data
 - Fast implementation, easy to synchronize large # of tasks
- Futures and future tasks:
 - Easy to construct unstructured, arbitrary graphs
 - Elegant, functional high-level data representation: futures
 - Functional, “push” model: “where is the data going to, create futures for those”
 - Large overhead when handling large # of tasks
- Promises and data-driven tasks:
 - Easy to construct unstructured, arbitrary graphs with unknown task-promise association
 - Data-driven, “pull” model: “what data does this DDT depend on, create promises for those”
 - Can have a faster implementation than futures
 - Large overhead when handling large # of tasks



Ordering Constraints and Transitive Edges in a Computation Graph

- The primary purpose of a computation graph is to determine if an ordering constraint exists between two steps (nodes)
 - Observation: Node A must be performed before node B if there is a path of directed edges from A and B
- An edge, $X \rightarrow Y$, in a computation graph is said to be transitive if there exists a path of directed edges from X to Y that does not include the $X \rightarrow Y$ edge
 - Observation: Adding or removing a transitive edge does not change the ordering constraints in a computation graph

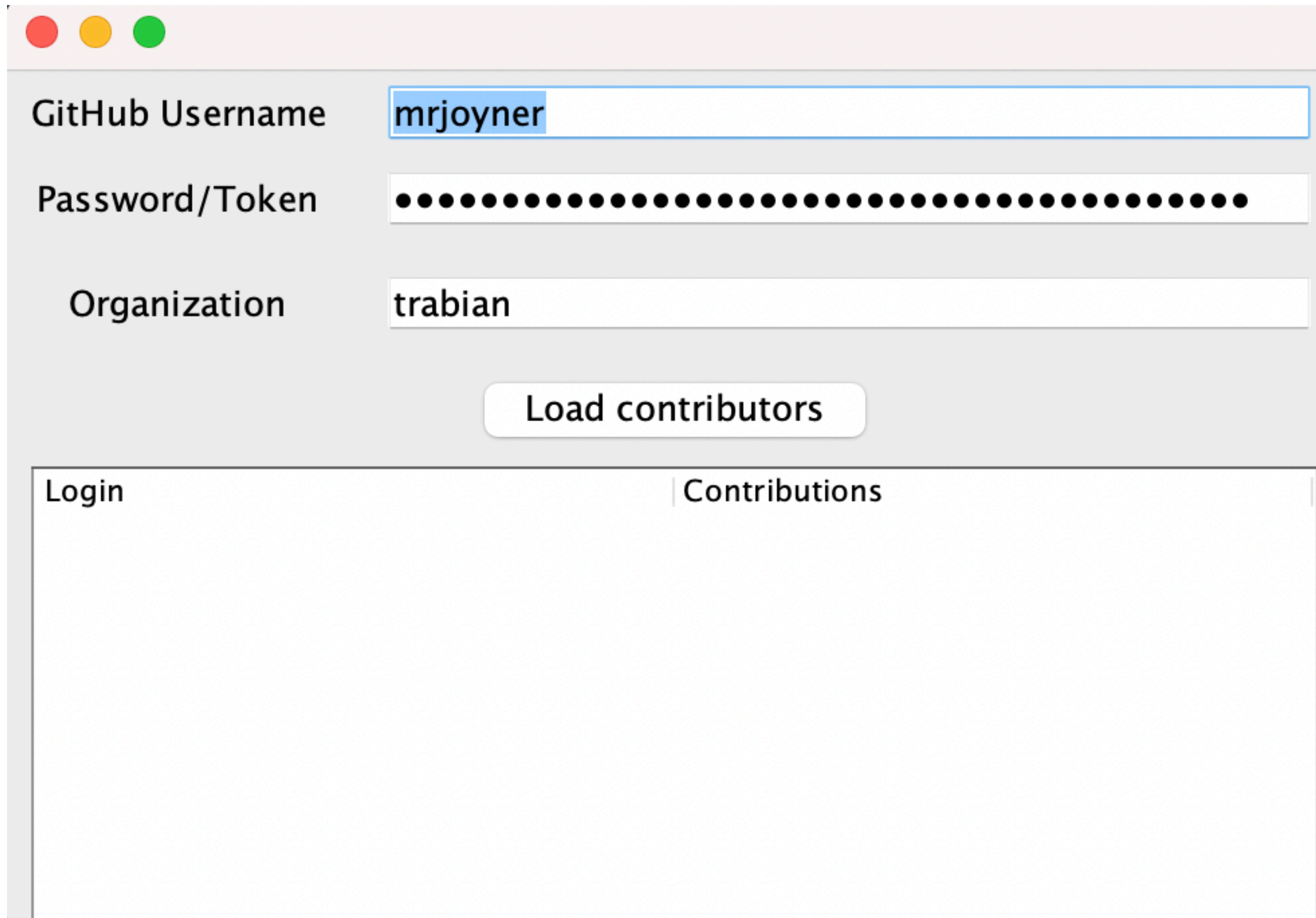


GUI Events with Java Swing

- Swing enables you to build a GUI in Java and respond to user events
- Containers (e.g. JFrame)
- Components
 - JButton
 - JLabel
 - JTextField
- Users interact with the GUI and trigger actions (events)
- ActionListeners are setup for a component to respond to the event



Homework 2: GitHub Contributors



The screenshot shows a web application window with a light gray background and a title bar with three colored buttons (red, yellow, green). The form contains three input fields: "GitHub Username" with the value "mrjoyner", "Password/Token" with a masked password of 20 dots, and "Organization" with the value "trabian". Below the inputs is a "Load contributors" button. At the bottom, there is a large white area with two tabs: "Login" and "Contributions".

GitHub Username:

Password/Token:

Organization:

Login | Contributions



GitHub Contributors Event Handling with ActionListener

A screenshot of a Java Swing window with a light gray background and a title bar containing three colored buttons (red, yellow, green). The window contains three text input fields and a button. The first field is labeled "GitHub Username" and contains the text "mrjoyner". The second field is labeled "Password/Token" and contains a series of black dots. The third field is labeled "Organization" and contains the text "trabian". Below these fields is a blue button with the text "Load contributors". At the bottom of the window is a tabbed area with two tabs: "Login" and "Contributions". The "Contributions" tab is currently selected and is empty.



ActionListeners

Adding ActionListener without a lambda

```
public class MultiListener ... implements ActionListener {
    ...
    //where initialization occurs:
    button1.addActionListener(this);
    button2.addActionListener(this);
    button2.addActionListener(new Eavesdropper(bottomTextArea));
}

public void actionPerformed(ActionEvent e) {
    topTextArea.append(e.getActionCommand() + newline);
}
}

class Eavesdropper implements ActionListener {
    ...
    public void actionPerformed(ActionEvent e) {
        myTextArea.append(e.getActionCommand() + newline);
    }
}
}
```

component has multiple listeners

called on each button click

event information

See: <https://docs.oracle.com/javase/tutorial/uiswing/events/intro.html>



ActionListeners

Adding ActionListener with a lambda

```
/**
 * Adds action listener for load button.
 */
private void addLoadListener() {
    load.addActionListener(e -> {
        String userParam = username.getText();
        String passParam = String.valueOf(password.getPassword());
        String orgParam = org.getText();
        if (!userParam.isEmpty() && !passParam.isEmpty()) {
            saveParams(userParam, passParam, orgParam);
        }
        new Thread(() -> {
            launchHabaneroApp(() -> {
                try {
                    System.out.println("Loading Users ...");
                    loadContributorsSeq(userParam, passParam, orgParam); //TODO change to use parallel implementation
                } catch (Exception exception) {
                    exception.printStackTrace();
                }
            });
        }).start();
    });
}
```

← **lambda body instead of
actionPerformed method**



What is the critical path length of this parallel computation?

1. `finish () -> {` // F1
2. `async () -> A);` // Boil water & pasta (10)
3. `finish () -> {` // F2
4. `async () -> B1);` // Chop veggies (5)
5. `async () -> B2);` // Brown meat (10)
6. `});` // F2
7. `B3;` // Make pasta sauce (5)
8. `})` // F1

Step A



Step B3



Step B1

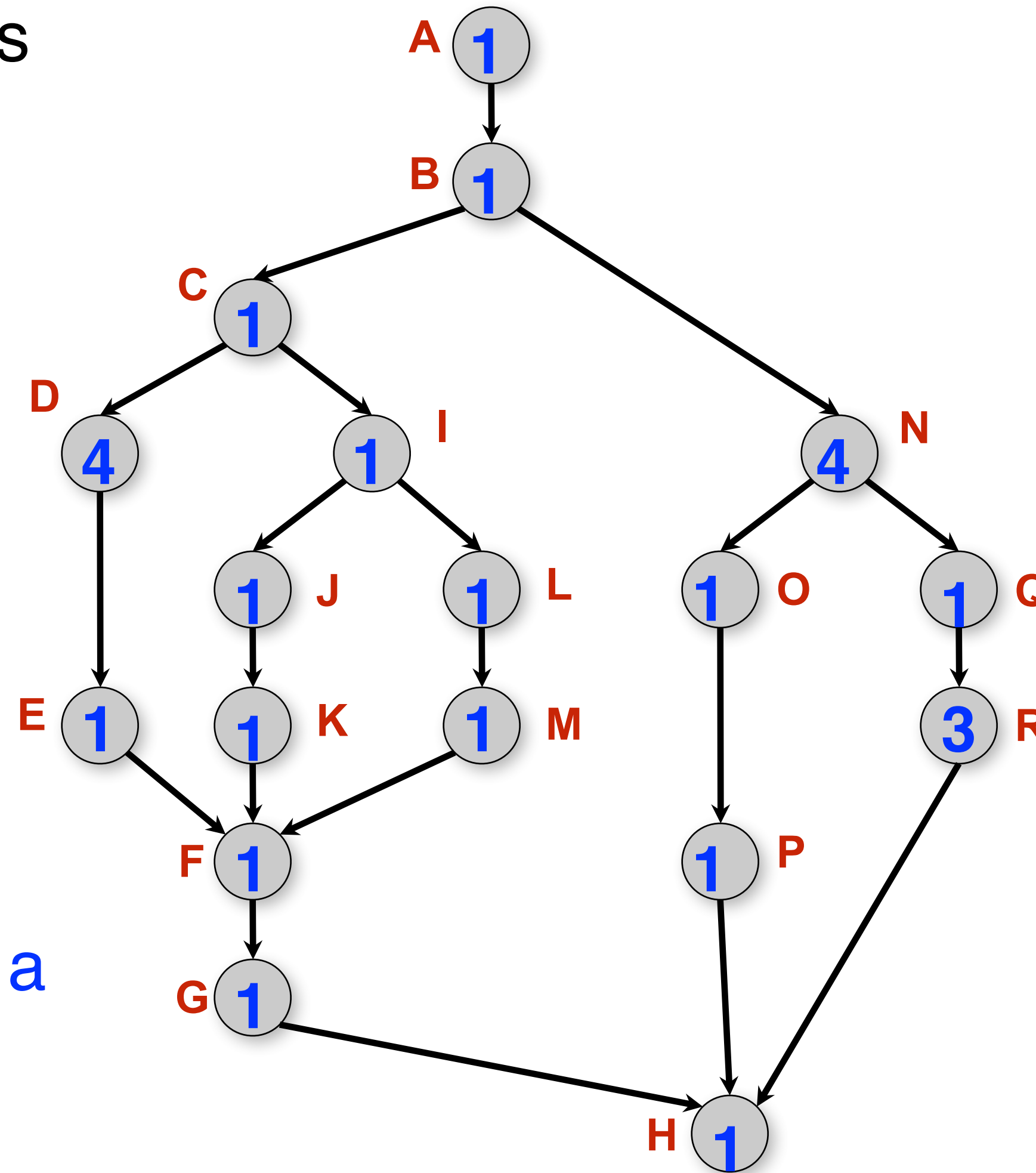


Step B2



Scheduling of a Computation Graph on a fixed number of processors

Node label = time(N), for all nodes N in the graph



NOTE: this schedule achieved a completion time of 11. Can we do better?

Start time	Proc 1	Proc 2	Proc 3
0	A		
1	B		
2	C	N	
3	D	N	I
4	D	N	J
5	D	N	K
6	D	Q	L
7	E	R	M
8	F	R	O
9	G	R	P
10	H		
11	Completion time = 11		



Scheduling of a Computation Graph on a fixed number of processors

- Assume that node N takes $\text{TIME}(N)$ regardless of which processor it executes on, and that there is no overhead for creating parallel tasks
- A schedule specifies the following for each node
 - $\text{START}(N)$ = start time
 - $\text{PROC}(N)$ = index of processor in range $1 \dots P$

such that

- $\text{START}(i) + \text{TIME}(i) \leq \text{START}(j)$, for all CG edges from i to j (Precedence constraint)
- A node occupies consecutive time slots in a processor (Non-preemption constraint)
- All nodes assigned to the same processor occupy distinct time slots (Resource constraint)



Greedy Schedule

- A greedy schedule is one that never forces a processor to be idle when one or more nodes are ready for execution
- A node is **ready** for execution if all its predecessors have been executed
- Observations
 - $T_1 = \text{WORK}(G)$, for all greedy schedules
 - $T_\infty = \text{CPL}(G)$, for all greedy schedules
- $T_P(S)$ = execution time of schedule S for computation graph G on P processors



Lower Bounds on Execution Time of Schedules

- Let T_P = execution time of a schedule for computation graph G on P processors
 - T_P can be different for different schedules, for same values of G and P
- Lower bounds for all greedy schedules
 - Capacity bound: $T_P \geq \text{WORK}(G)/P$
 - Critical path bound: $T_P \geq \text{CPL}(G)$
- Putting them together
 - $T_P \geq \max(\text{WORK}(G)/P, \text{CPL}(G))$



Upper Bound on Execution Time of Greedy Schedules

Theorem [Graham '66].
Any greedy scheduler achieves

$$T_P \leq \text{WORK}(G)/P + \text{CPL}(G)$$

Proof sketch:

Define a time step to be **complete** if P processors are scheduled at that time, or **incomplete** otherwise

complete time steps $\leq \text{WORK}(G)/P$

incomplete time steps $\leq \text{CPL}(G)$

Start time	Proc 1	Proc 2	Proc 3
0	A		
1	B		
2	C	N	
3	D	N	I
4	D	N	J
5	D	N	K
6	D	Q	L
7	E	R	M
8	F	R	O
9	G	R	P
10	H		
11			



Bounding the Performance of Greedy Schedulers

Combine lower and upper bounds to get

$$\max(\text{WORK}(G)/P, \text{CPL}(G)) \leq T_P < \text{WORK}(G)/P + \text{CPL}(G)$$

Corollary: Any greedy scheduler achieves execution time T_P that is within a factor of 2 of the optimal time (since $\max(a,b)$ and $(a+b)$ are within a factor of 2 of each other, for any $a \geq 0, b \geq 0$).

Corollary 2: Lower and upper bounds approach the same value whenever:

There's lots of parallelism, $\text{WORK}(G)/\text{CPL}(G) \gg P$

Or there's little parallelism, $\text{WORK}(G)/\text{CPL}(G) \ll P$

