
COMP 322: Fundamentals of Parallel Programming

<https://wiki.rice.edu/confluence/display/PARPROG/COMP322>

Lecture 13: Barrier Synchronization (contd)

Vivek Sarkar
Department of Computer Science
Rice University
vsarkar@rice.edu



Announcements

- Homework 4 due by 5pm on Wednesday, Feb 16th
 - We will try and return graded homeworks by Feb 23rd
- Guest lecture on Bitonic Sort by John Mellor-Crummey on Friday, Feb 18th
- Feb 23rd lecture will be a Midterm Review
- No lecture on Friday, Feb 25th since midterm is due that day
 - Midterm will be a 2-hour take-home written exam
 - Will be given out at lecture on Wed, Feb 23rd
 - Must be handed in by 5pm on Friday, Feb 25th



Acknowledgments for Today's Lecture

- "Principles of Parallel Programming", Calvin Lin & Lawrence Snyder, Addison-Wesley, 2009
 - Includes resources available at <http://www.pearsonhighered.com/educator/academic/product/0,3110,0321487907,00.html>
- Handout for Lectures 12 and 13



Barrier Synchronization using HJ's "next" statement (recap of Hello-Goodbye example)

```
rank.count = 0; // rank object contains an int field, count
forall (point [i] : [0:m-1]) {
    int r;
    isolated {r = rank.count++;}
    System.out.println("Hello from task ranked " + r);
    next; // Acts as barrier between phases 0 and 1
    System.out.println("Goodbye from task ranked " + r);
}
```

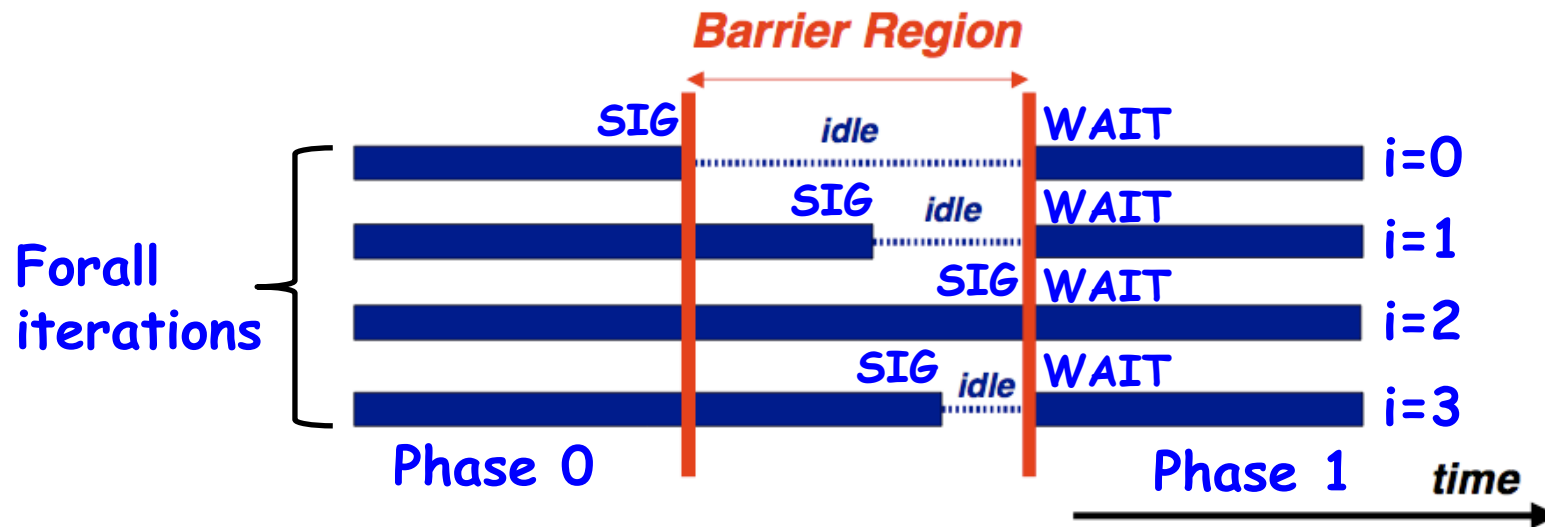
Phase 0

Phase 1

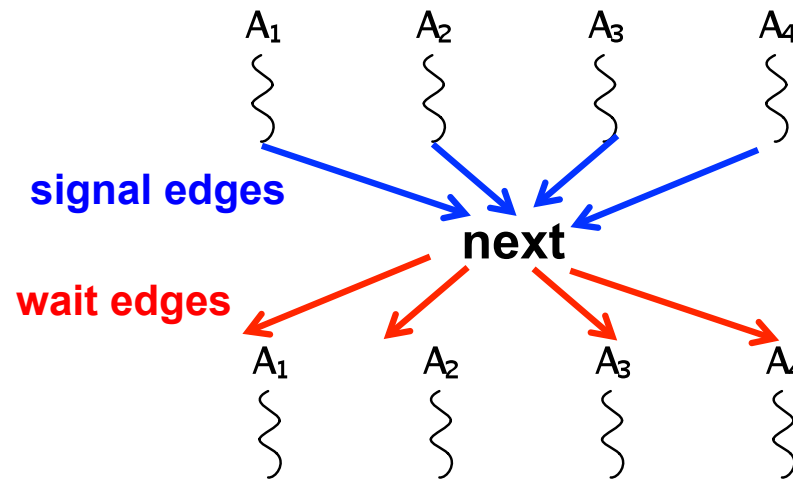
- **next** → each forall iteration suspends at next until all iterations arrive (complete previous phase), after which the phase can be advanced
 - Observation 1: Scope of synchronization is the closest enclosing forall statement
 - Observation 2: If a forall iteration terminates before executing "next", then the other iterations do not wait for it
 - Observation 3: Different forall iterations may perform "next" at different program points e.g., consider a conditional based on the forall index value



Impact of barrier on scheduling forall iterations



Modeling a next operation in the computation graph



Observation 1: Scope of synchronization for “next” is closest enclosing forall statement

```
forall (point [i] : [0:m-1]) {
    System.out.println("Starting forall iteration " + i);
    next; // Acts as barrier for forall-i
    forall (point [j] : [0:n-1]) {
        System.out.println("Hello from task (" + i + ", "
            + j + ")");
        next; // Acts as barrier for forall-j
        System.out.println("Goodbye from task (" + i + ", "
            + j + ")");
    } // forall-j
    next; // Acts as barrier for forall-i
    System.out.println("Ending forall iteration " + i);
} // forall-i
```



Observation 2: If a forall iteration terminates before “next”, then other iterations do not wait for it

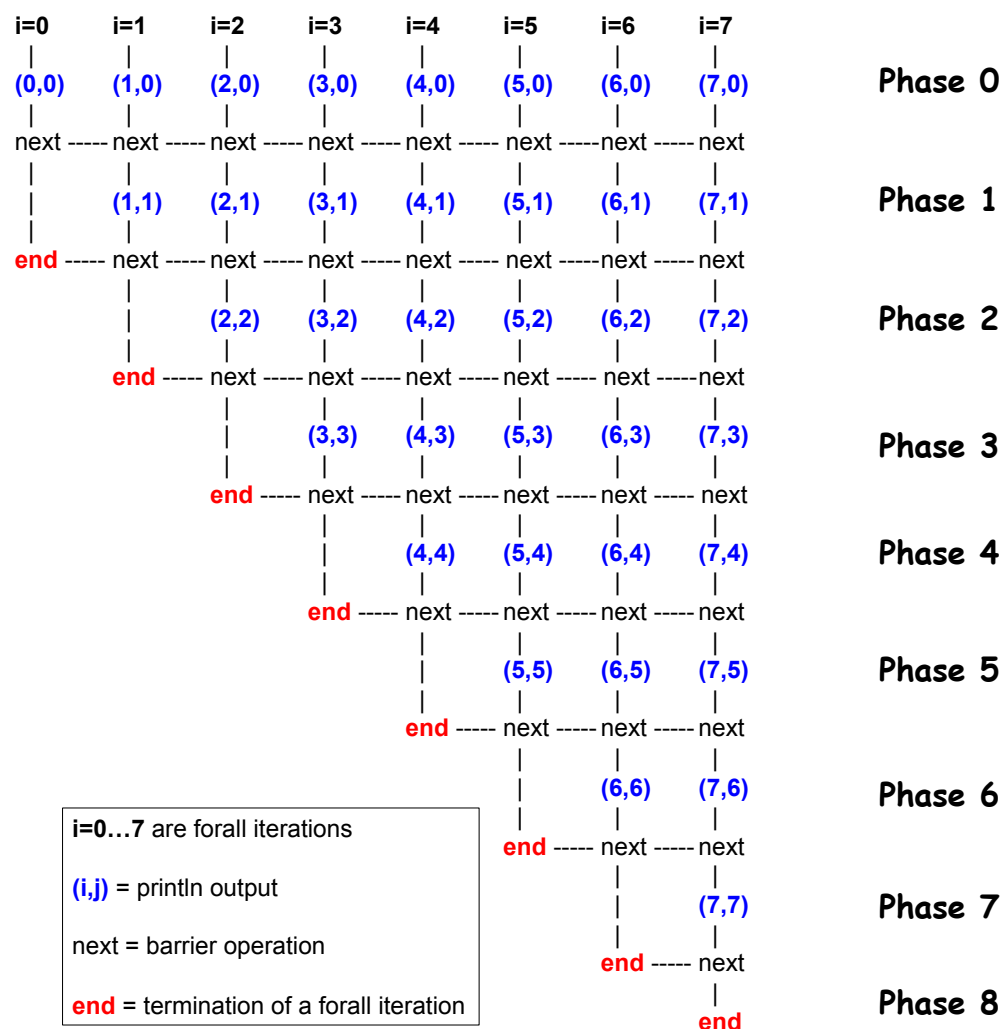
```
1. forall (point[i] : [0:m-1]) {
2.     for (point[j] : [0:i]) {
3.         // Forall iteration i is executing phase j
4.         System.out.println("(" + i + "," + j + ")");
5.         next;
6.     }
7. }
```

- Outer forall-i loop has m iterations, 0..m-1
- Inner sequential j loop has i+1 iterations, 0..i
- Line 4 prints (task,phase) = (i, j) before performing a next operation.
- Iteration i = 0 of the forall-i loop prints (0, 0), performs a next, and then terminates. Iteration i = 1 of the forall-i loop prints (1,0), performs a next, prints (1,1), performs a next, and then terminates. And so on.



Illustration of previous example

- Iteration $i=0$ of the forall- i loop prints $(0, 0)$ in Phase 0, performs a next, and then ends Phase 1 by terminating.
- Iteration $i=1$ of the forall- i loop prints $(1, 0)$ in Phase 0, performs a next, prints $(1, 1)$ in Phase 1, performs a next, and then ends Phase 2 by terminating.
- And so on until iteration $i=8$ ends an empty Phase 8 by terminating



Observation 3: Different forall iterations may perform “next” at different program points

```
1. forall (point[i] : [0:m-1]) {
2.     if (i % 2 == 1) { // i is odd
3.         oddPhase0(i);
4.         next;
5.         oddPhase1(i);
6.     } else { // i is even
7.         evenPhase0(i);
8.         next;
9.         evenPhase1(i);
10.    } // if-else
11. } // forall
```

- Barrier operation synchronizes odd-numbered iterations at line 4 with even-numbered iterations in line 8
- next statement may even be in a method such as oddPhase1()



Recap: incorrect translation of PRAM Array sum algorithm to task-parallel program

```
1. forall (point[i] : [0:n/2-1]) {
2.     for (point[j] : [0:ceilLog2(n)-1]) {
3.         int exp2j = 1<<j;
4.         if (i % exp2j == 0 && 2*i+exp2j < n)
5.             A[2*i] = A[2*i] + A[2*i+exp2j]
6.     } // for
7. } // forall
8. static int ceilLog2(int n) { // returns 0 if n <= 0
9.     int r=0; while (n > 1) { r++; n = n >> 1; } return r;
10. }
```

Is there a data race in this program?

If so, why was the PRAM algorithm correct?



Correct translation of PRAM Array sum algorithm to HJ using for-forall structure

```
1. for (point[j] : [0:ceilLog2(n)-1]) {
2.   forall (point[i] : [0:n/2-1]) {
3.     int exp2j = 1<<j;
4.     if (i % exp2j == 0 && 2*i+exp2j < n)
5.       A[2*i] = A[2*i] + A[2*i+exp2j]
6.   } // forall
7. } // for
```

- Moving the **forall** loop inside the **for** loop inserts implicit finish after each step (lines 3, 4, 5)
- Think of a PRAM program as sequential at the outer level, while executing each step as a **forall** loop across all processors



Correct translation of PRAM Array sum algorithm to HJ using forall-for-next

```
1. forall (point[i] : [0:n/2-1]) {
2.   for (point[j] : [0:ceilLog2(n)-1]) {
3.     int exp2j = 1<<j;
4.     if (i \% exp2j == 0 && 2*i+exp2j < n)
5.       A[2*i] = A[2*i] + A[2*i+exp2j]
6.     next; // barrier ensures lock-step semantics
7.   } // for
8. } // forall
```

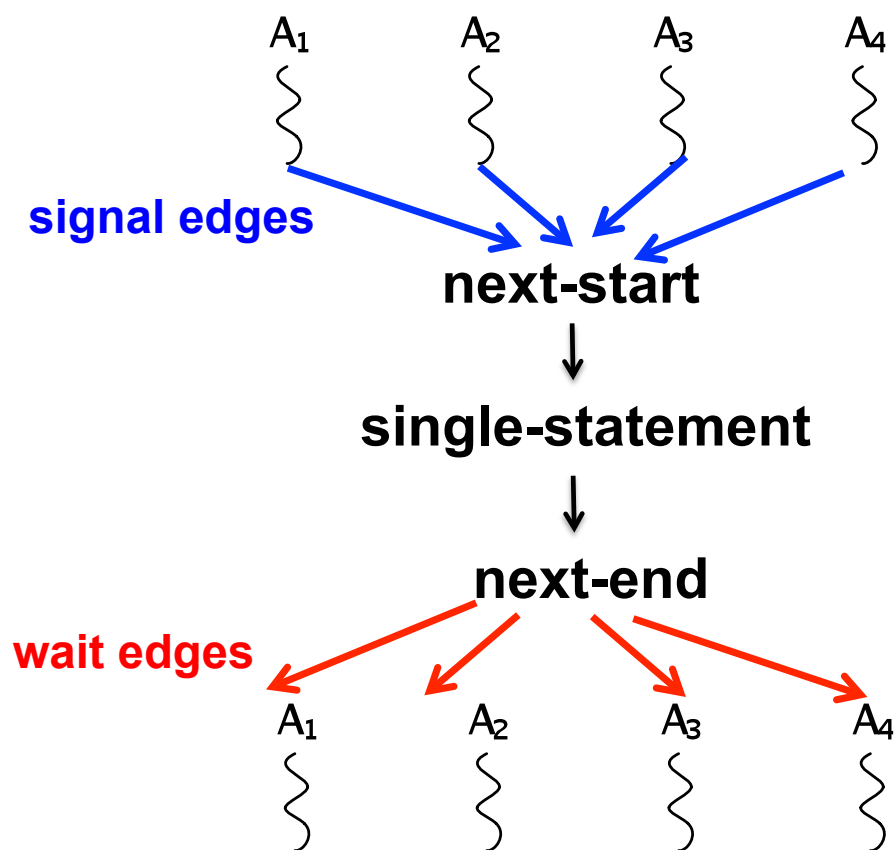
- You can also think of a PRAM program as parallel at the outer level with a barrier (next) operation at each step to synchronize all processors



Next-with-Single Statement

`next <single-stmt>` is a barrier in which `single-stmt` is performed exactly once after all tasks have completed the previous phase and before any task begins its next phase.

Modeling next-with-single in the Computation Graph



Use of next-with-single to print a log message between Hello and Goodbye phases (Listing 6)

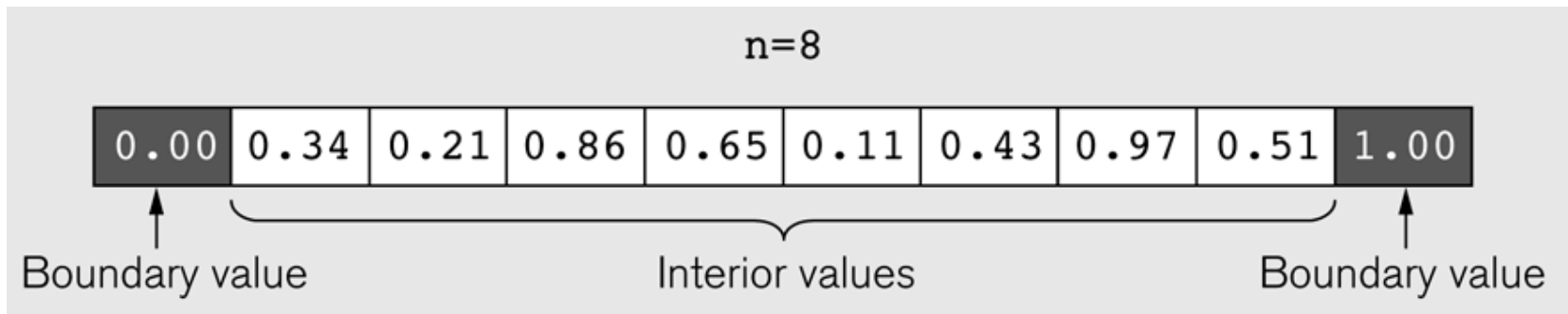
```
1. rank.count = 0; // rank object contains an int field, count
2. forall (point[i] : [0:m-1]) {
3.     // Start of Hello phase
4.     int r;
5.     isolated {r = rank.count++;}
6.     System.out.println("Hello from task ranked " + r);
7.     next { // single statement
8.         System.out.println("LOG: Between Hello & Goodbye Phases");
9.     }
10.    // Start of Goodbye phase
11.    System.out.println("Goodbye from task ranked " + r);
12.} // forall
```



One-Dimensional Iterative Averaging Example

- Initialize a one-dimensional array of $(n+2)$ double's with boundary conditions, $\text{myVal}[0] = 0$ and $\text{myVal}[n+1] = 1$.
- In each iteration, each interior element $\text{myVal}[i]$ in $1..n$ is replaced by the average of its left and right neighbors.
 - Two separate arrays are used in each iteration, one for old values and the other for the new values
- After a sufficient number of iterations, we expect each element of the array to converge to $\text{myVal}[i] = i/(n+1)$
 - In this case, $\text{myVal}[i] = (\text{myVal}[i-1] + \text{myVal}[i+1])/2$, for all i in $1..n$

Illustration of an intermediate step for $n = 8$ (source: Figure 6.19 in Lin-Snyder book)



HJ code for One-Dimensional Iterative Averaging using nested for-forall structure (Listing 8)

```
1. double[] myVal = new double[n]; myVal[0] = 0; myVal[n+1] = 1;
2. for (point [iter] : [0:iterations-1]) {
3.     // Output array MyNew is computed as function of
4.     // input array MyVal from previous iteration
5.     double[] myNew = new double[n]; myNew[0] = 0; myNew[n+1] = 1;
6.     forall (point [j] : [1:n]) { // Create n tasks
7.         myNew[j] = (myVal[j-1] + myVal[j+1])/2.0;
8.     } // forall
9.     myVal = myNew; // myNew becomes input array for next iteration
10.} // for
```

- How many tasks does this version create?
- This is an idealized version with no batching of forall iterations and a new array allocation in each iteration of the for-iter loop



HJ code for One-Dimensional Iterative Averaging using nested forall-for-next structure (Listing 9)

1. `// Assume that myVal and myNew are mutable fields of type double[]`
 2. `myNew = new double[n]; myNew[0] = 0; myNew[n+1] = 1;`
 3. `forall (point [j] : [1:n]) { // Create n tasks`
 4. `for (point [iter] : [0:iterations-1]) {`
 5. `next { // single statement`
 6. `myVal = myNew; // myNew becomes input array for next iteration`
 7. `myNew = new double[n]; myNew[0] = 0; myNew[n+1] = 1;`
 8. `}`
 9. `myNew[j] = (myVal[j-1] + myVal[j+1])/2.0;`
 10. `} // for`
 11. `} // forall`
- How many tasks does this version create?
 - This version uses `next-with-single` to synchronize array allocation in each iteration of the `for-iter` loop

