

# COMP 322: Fundamentals of Parallel Programming

## Lecture 11: Iteration Grouping, Barrier Synchronization

Mack Joyner  
mjoyner@rice.edu

<http://comp322.rice.edu>



# Solution to Worksheet #10: One-dimensional Iterative Averaging Example

1) Assuming  $n=9$  and the input array below, perform a “half-iteration” of the iterative averaging example by only filling in the blanks for odd values of  $j$  in the `myNew[]` array (different from the real algorithm). Recall that the computation is “`myNew[j] = (myVal[j-1] + myVal[j+1])/2.0;`”

index, j	0	1	2	3	4	5	6	7	8	9	10
myVal	0	0	0.2	0	0.4	0	0.6	0	0.8	0	1
myNew	0	0.1	0.2	0.3	0.4	0.5	0.6	0.7	0.8	0.9	1

2) Will the contents of `myVal[]` and `myNew[]` change in further iterations?

No, this represents the converged value (equilibrium/fixpoint).

3) Write the formula for the final value of `myNew[i]` as a function of  $i$  and  $n$ . In general, this is the value that we will get if  $m$  (= #iterations in sequential for-iter loop) is large enough.

After a sufficiently large number of iterations, the iterated averaging code will converge with `myNew[i] = myVal[i] =  $i / (n+1)$`



# Announcements & Reminders

---

- Quiz for Unit 2 (topics 2.1 - 2.8) is available on Canvas, due by 11:59pm on Friday, Feb. 26th
- Hw #2 due Wednesday, Mar. 3rd at 11:59pm
- Lab #3 due Thursday, Mar. 4th at 2pm
- Midterm Exam on Thursday, Mar. 11th at 7pm



# HJ code for One-Dimensional Iterative Averaging

```
1.// Intialize m, n, myVal, newVal
2.m = ... ; n = ... ;
3.float[] myVal = new float[n+2];
4.float[] myNew = new float[n+2];
5.forseq(0, m-1, (iter) -> {
6. // Compute MyNew as function of input array MyVal
7.  forall(1, n, (j) -> { // Create n tasks
8.    myNew[j] = (myVal[j-1] + myVal[j+1])/2.0;
9.  }); // forall
10. // What is the purpose of line 11 below?
11. float[] temp=myVal; myVal=myNew; myNew=temp;
12.}); // forseq
```



# What about Overheads?

- It is inefficient to create `forall` iterations in which each iteration (`async` task) does very little work
- An alternate approach is “iteration grouping” or “loop chunking”

—e.g., replace

```
forall(0, 99, (i) -> BODY(i)); // 100 tasks
```

—by

```
forall(0, 3, (ii) -> { // 4 tasks
```

```
// Each task executes a “chunk” of 25 iterations
```

```
forseq(25*ii, 25*(ii+1)-1, (i) -> BODY(i));
```

```
}); // forall
```

—This is better, but it’s still inconvenient for the programmer to do the “iteration grouping” or “loop chunking” explicitly



# forallChunked APIs

- `forallChunked`(int s0, int e0, int chunkSize, edu.rice.hj.api.HjProcedure<Integer> body)
- Like `forall`(int s0, int e0, edu.rice.hj.api.HjProcedure<Integer> body)
- but `forallChunked` includes `chunkSize` as the third parameter

- e.g., replace

```
forall(0, 99, (i) -> BODY(i)); // 100 tasks
```

- by

```
forallChunked(0, 99, 100/4, (i)->BODY(i));
```



```
1.int nc = numWorkerThreads();
2. ... // Initializations
3.forseq(0, m-1, (iter) -> {
4. // Compute MyNew as function of input array MyVal
5. forallChunked(1, n, n/nc, (j) -> { // Create n/nc tasks
6.     myNew[j] = (myVal[j-1] + myVal[j+1])/2.0;
7. }); // forallChunked
8. // Swap myVal & myNew;
9. float[] temp=myVal; myVal=myNew; myNew=temp;
10. // myNew becomes input array for next iteration
11.}); // forseq
```



# Barrier Synchronization: Hello-Goodbye Forall Example (Pseudocode)

```
forall (0, m - 1, (i) -> {  
    int sq = i*i; // NOTE: video used lookup(i) instead  
    System.out.println("Hello from task with square = " + sq);  
    System.out.println("Goodbye from task with square = " + sq);  
});
```

Sample output for m = 4:

```
Hello from task with square = 0  
Hello from task with square = 1  
Goodbye from task with square = 0  
Hello from task with square = 4  
Goodbye from task with square = 4  
Goodbye from task with square = 1  
Hello from task with square = 9  
Goodbye from task with square = 9
```





# Hello-Goodbye Forall Example (contd)

```
forall (0, m - 1, (i) -> {  
    int sq = i*i;  
    System.out.println("Hello from task with square = " + sq);  
    System.out.println("Goodbye from task with square = " + sq);  
});
```

- Question: how can we transform this code so as to ensure that all tasks say hello before *any* tasks say goodbye?
- Statements in red below will need to be moved to solve this problem

Hello from task with square = 0

Hello from task with square = 1

Goodbye from task with square = 0

Hello from task with square = 4

Goodbye from task with square = 4

Goodbye from task with square = 1

Hello from task with square = 9

Goodbye from task with square = 9



# Hello-Goodbye Forall Example (contd)

```
forall (0, m - 1, (i) -> {  
    int sq = i*i;  
    System.out.println("Hello from task with square = " + sq);  
    System.out.println("Goodbye from task with square = " + sq);  
});
```

- Question: how can we transform this code so as to ensure that all tasks say hello before any tasks say goodbye?
- *Approach 1: Replace the forall loop by two forall loops, one for the hello's and one for the goodbye's*
  - What's the problem here?

```
1. // APPROACH 1  
2. forall (0, m - 1, (i) -> {  
3.     int sq = i*i;  
4.     System.out.println("Hello from task with square = " + sq);  
5. });  
6. forall (0, m - 1, (i) -> {  
7.     System.out.println("Goodbye from task with square = " + sq);  
8. });
```



# Hello-Goodbye Forall Example (contd)

- Question: how can we transform this code so as to ensure that all tasks say hello before any tasks say goodbye, without having to change the local variable?

- Approach 2: insert a “barrier” (“next” statement) between the hello’s and goodbye’s

```
1. // APPROACH 2
```

```
2. forallPhased (0, m - 1, (i) -> {
```

```
3.   int sq = i*i;
```

```
4.   System.out.println("Hello from task with square = " + sq);
```

```
5.   next(); // Barrier
```

```
6.   System.out.println("Goodbye from task with square = " + sq);
```

```
7. });
```

} **Phase 0**

} **Phase 1**

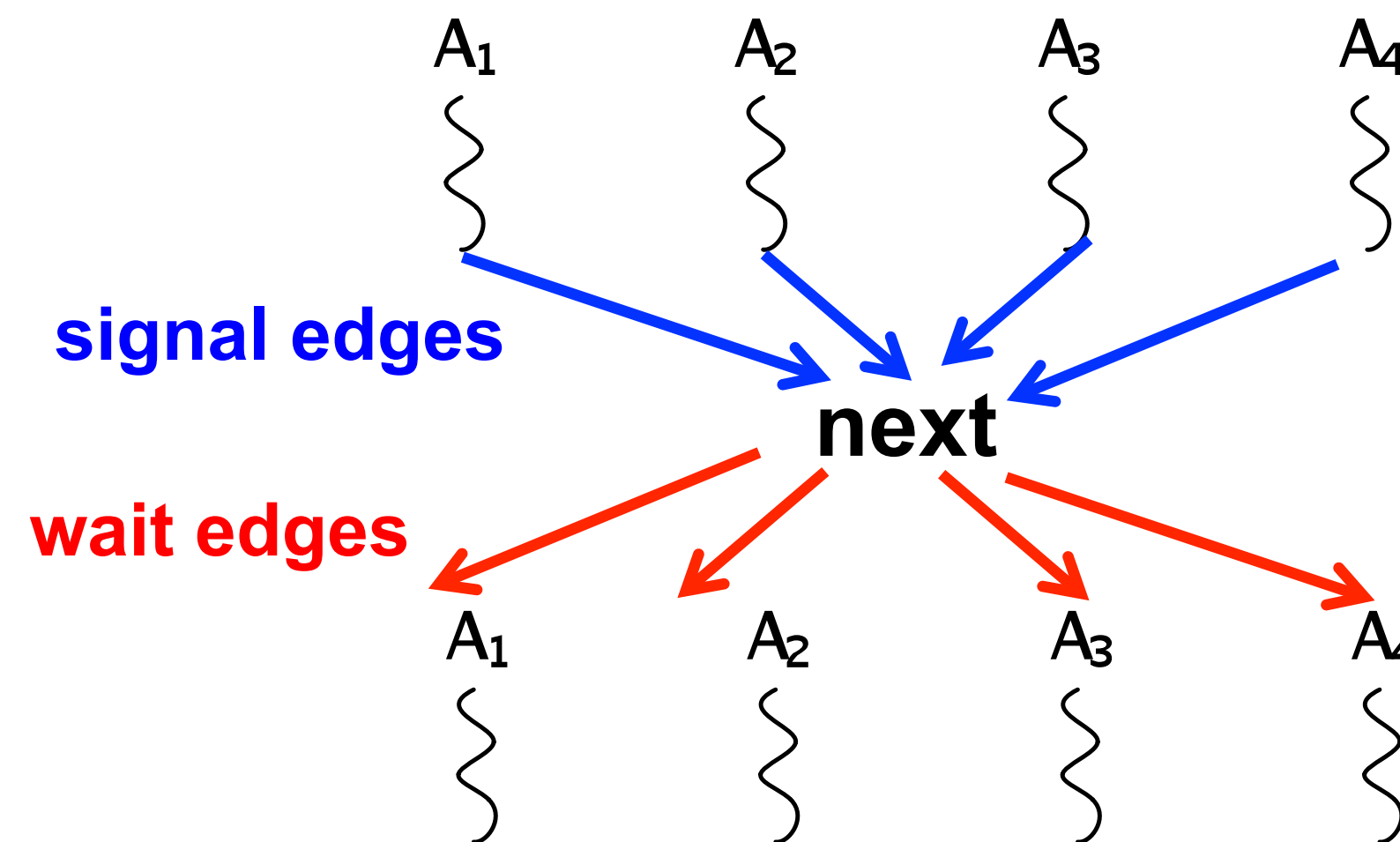
- **next** -> each forallPhased iteration waits at barrier until all iterations arrive (previous phase is completed), after which the next phase can start
  - Scope of next is the closest enclosing forallPhased statement
  - If a forallPhased iteration terminates before executing “next”, then the other iterations don’t wait for it



# Impact of barrier on scheduling forallPhased iterations



next() operation is modeled in the Computation Graph using *signal* and *wait* edges



# forallPhased API's in HJlib

<http://www.cs.rice.edu/~vs3/hjlib/doc/edu/rice/hj/Module1.html>

- `static void forallPhased(int s0, int e0, edu.rice.hj.api.HjProcedure<java.lang.Integer> body)`
- `static <T> void forallPhased(java.lang.Iterable<T> iterable, edu.rice.hj.api.HjProcedure<T> body)`
- `static void next()`
- NOTE:
  - All forallPhased API's include an implicit finish at the end (just like a regular forall)
  - Calls to `next()` are only permitted in `forallPhased()`, **not in `forall()`**



# Observation 1: Scope of synchronization for “next” barrier is its closest enclosing forallPhased statement

```
1. forallPhased (0, m - 1, (i) -> {
2.   println("Starting forall iteration " + i);
3.   next(); // Acts as barrier for forallPhased-i
4.   forallPhased (0, n - 1, (j) -> {
5.     println("Hello from task (" + i + "," + j + ")");
6.     next(); // Acts as barrier for forallPhased-j
7.     println("Goodbye from task (" + i + "," + j + ")");
8.   } // forallPhased-j
9.   next(); // Acts as barrier for forallPhased-i
10.  println("Ending forallPhased iteration " + i);
11.}); // forallPhased-i
```



## Observation 2: If a forall iteration terminates before “next”, then other iterations do not wait for it

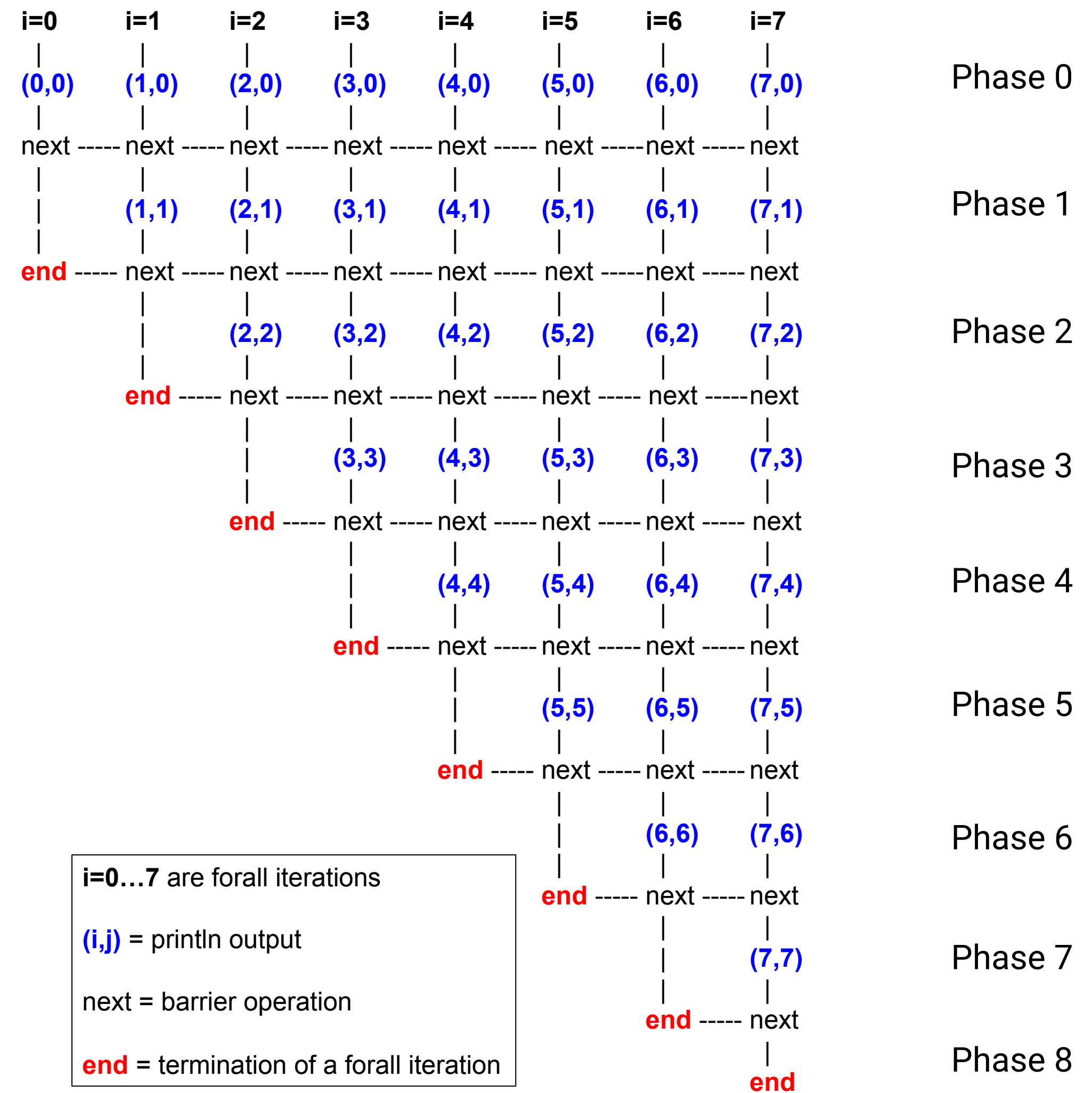
```
1. forallPhased (0, m - 1, (i) -> {
2.   forseq (0, i, (j) -> {
3.     // forall iteration i is executing phase j
4.     System.out.println("(" + i + ", " + j + ")");
5.     next();
6.   }); //forseq-j
7. }); //forall-i
```

- Outer forall-i loop has m iterations, 0...m-1
- Inner sequential j loop has i+1 iterations, 0...i
- Line 4 prints (task,phase) = (i, j) before performing a next operation.
- Iteration i = 0 of the forall-i loop prints (0, 0), performs a next, and then terminates. Iteration i = 1 of the forall-i loop prints (1,0), performs a next, prints (1,1), performs a next, and then terminates. And so on.



# Barrier Matching for previous example

- Iteration  $i=0$  of the forallPhased- $i$  loop prints  $(0, 0)$  in Phase 0, performs a next, and then ends Phase 1 by terminating.
- Iteration  $i=1$  of the forallPhased- $i$  loop prints  $(1,0)$  in Phase 0, performs a next, prints  $(1,1)$  in Phase 1, performs a next, and then ends Phase 2 by terminating.
- And so on until iteration  $i=8$  ends an empty Phase 8 by terminating





## Observation 3: Different forallPhased iterations may perform “next” at different program points

```
1. forallPhased (0, m-1, (i) -> {
2.   if (i % 2 == 1) { // i is odd
3.     oddPhase0(i);
4.     next();
5.     oddPhase1(i);
6.   } else { // i is even
7.     evenPhase0(i);
8.     next();
9.     evenPhase1(i);
10.  } // if-else
11. }); // forall
```

Barriers are not statically scoped – matching barriers may come from different program points, and may even be in different methods!

- Barrier operation synchronizes odd-numbered iterations at line 4 with even-numbered iterations in line 8
- One reason why barriers are “less structured” than finish, async, future



# Parallelizing loops in Matrix Multiplication example using forall

```
1. // Parallel version using forall
2. forall(0, n-1, 0, n-1, (i, j) -> {
3.     c[i][j] = 0;
4. });
5. forall(0, n-1, 0, n-1, (i, j) -> {
6.     forseq(0, n-1, (k) -> {
7.         c[i][j] += a[i][k] * b[k][j];
8.     });
9. });
10. // Print first element of output matrix
11. println(c[0][0]);
```

$$c[i,j] = \sum_{0 \leq k < n} a[i,k] * b[k,j]$$



# Parallelizing loops in Matrix Multiplication example using forall

```
1. // Parallel version using forall
2. forallPhased(0, n-1, 0, n-1, (i, j) -> {
3.     c[i][j] = 0;
4.     next();
5.     forseq(0, n-1, (k) -> {
6.         c[i][j] += a[i][k] * b[k][j];
7.     });
8. });
9. // Print first element of output matrix
10. println(c[0][0]);
```

$$c[i,j] = \sum_{0 \leq k < n} a[i,k] * b[k,j]$$



# Worksheet #11: Forall Loops and Barriers

Draw a “barrier matching” figure similar to slide 17 for the code fragment below.

```
1. String[] a = { "ab", "cde", "f" };
2. . . . int m = a.length; . . .
3. forallPhased (0, m-1, (i) -> {
4.   for (int j = 0; j < a[i].length(); j++) {
5.     // forallPhased iteration i is executing phase j
6.     System.out.println("(" + i + ", " + j + ")");
7.     next();
8.   }
9. });
```

